

# BEYOND POPULAR SCIENCE



DAVID H. SILVER



## BEYOND POPULAR SCIENCE

David H. Silver

<https://www.openbookpublishers.com>

© 2026 David H. Silver



This work is licensed under the Creative Commons Attribution-NonCommercial 4.0 International (CC BY-NC 4.0). This license allows you to share, copy, distribute and transmit the text; to adapt the text for non-commercial purposes of the text providing attribution is made to the authors (but not in any way that suggests that they endorse you or your use of the work). Attribution should include the following information:

David H. Silver, *Beyond Popular Science*. Cambridge, UK: Open Book Publishers, 2026,  
<https://doi.org/10.11647/OBP.0526>

Further details about CC BY-NC licenses are available at  
<https://creativecommons.org/licenses/by-nc/4.0/>

Copyright and permissions for the reuse of many of the images included in this publication differ from the above. This information is provided in the captions and in the list of illustrations. Unless otherwise stated, figures are reproduced under the fair dealing principle. Every effort has been made to identify and contact copyright holders and any omission or error will be corrected if notification is made to the publisher.

All external links were active at the time of publication unless otherwise stated and have been archived via the Internet Archive Wayback Machine at  
<https://archive.org/web>

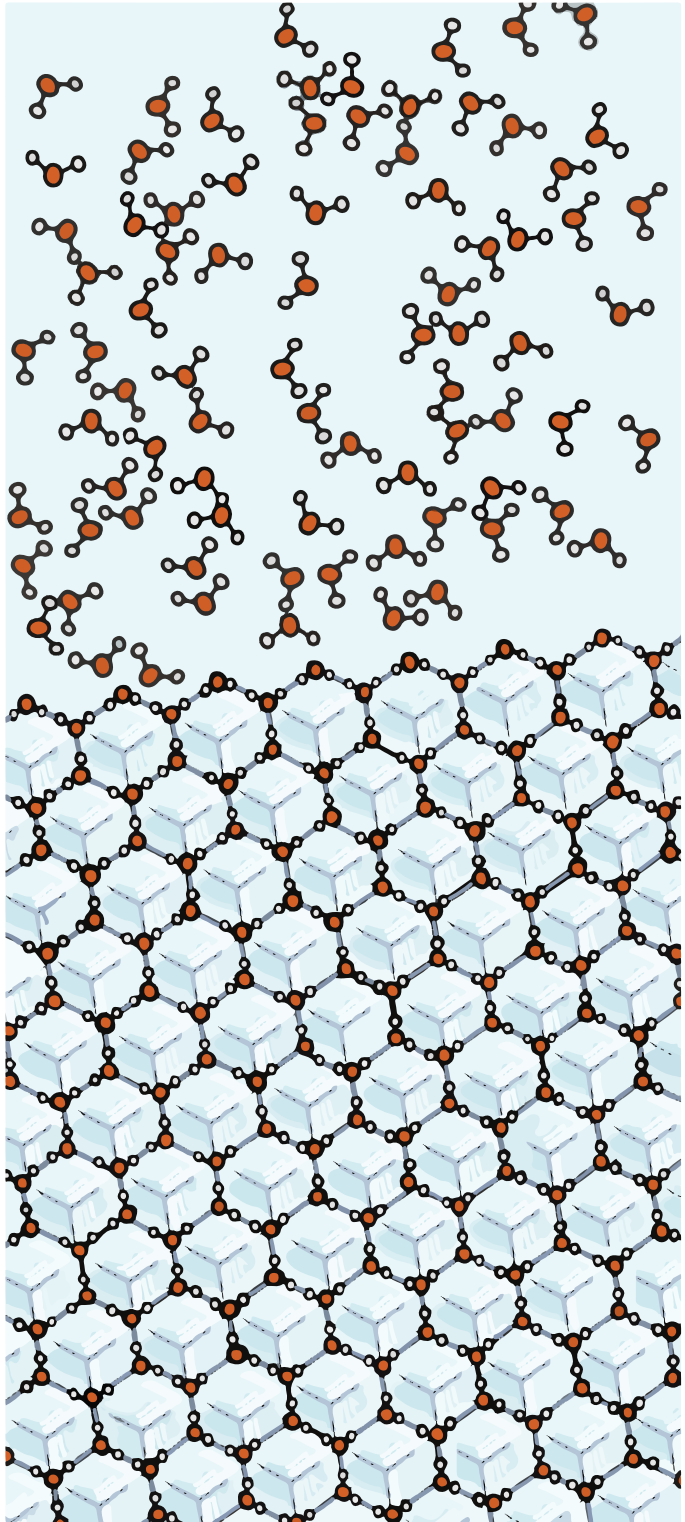
Digital material and resources associated with this volume are available at  
<https://doi.org/10.11647/OBP.0526#resources>

ISBN Paperback:	978-1-80511-877-0
ISBN Hardback:	978-1-80511-878-7
ISBN Digital (PDF):	978-1-80511-879-4
ISBN HTML:	978-1-80511-881-7
ISBN Digital ebook (epub):	978-1-80511-880-0
DOI:	10.11647/OBP.0526

Cover image by Enny Silver and David H. Silver  
Cover design by Jeevanjot Kaur Nagpal

**Wet, Cold,  
Slippery Slope**

**Quasi-Liquid Layer on Ice:** Ice surfaces are coated with a thin, disordered layer of mobile water molecules—called the *quasi-liquid layer*. Even below freezing, this layer behaves like a liquid: molecules at the surface are less tightly bound than those in the bulk lattice, enabling them to rearrange and flow. This surface mobility reduces friction and is a primary reason ice feels slippery, even without pressure or frictional heating.



# Wet, Cold, Slippery Slope

Ice's exceptional slipperiness results primarily from a quasi-liquid layer (QLL) of disordered water molecules at its surface rather than from commonly assumed mechanisms. While pressure melting and frictional heating contribute under specific conditions, neither explains ice's slickness at rest nor across wide temperature ranges. Surface molecules, having fewer hydrogen bonds than those in the interior crystal lattice, form a nanometre-thick disordered layer that functions as a molecular lubricant even well below freezing. Counterintuitively, ice is most slippery around  $-7^{\circ}\text{C}$  rather than at  $0^{\circ}\text{C}$ , as the QLL is sufficiently mobile at this temperature while the underlying ice remains hard enough to resist deformation.



ICE SLIPPERINESS ◦ QUASI-LIQUID LAYER ◦ SURFACE  
UNDERCOORDINATION ◦ HYDROGEN BOND NETWORK ◦ ICE IH  
STRUCTURE ◦ PRESSURE MELTING MYTH ◦ FRICTIONAL  
HEATING LIMITS ◦ OPTIMAL TEMPERATURE  
 $-7^{\circ}\text{C}$  ◦ MOLECULAR DYNAMICS ◦ SEA LEVEL & LAND  
ICE ◦ PHASE TRANSITIONS

“Oh, you know what I want? Ice cream.  
Do you guys have that here? Ice cream?  
Oh, it's so good, you have to get it.  
It's like scoops and it comes on a cone.  
Do you have that here?”

— Andy Dwyer, 2012

## Wet, Cold, Slippery Slope

In the mid-nineteenth century, Michael Faraday proposed that ice possesses a thin, liquid-like surface layer even below its melting point—a hypothesis based on observations of regelation and contact phenomena. Around the same time, James Thomson and later Lord Kelvin developed the thermodynamic framework of pressure melting, suggesting that applied pressure lowers the melting point and produces a lubricating film. John Joly applied this idea to ice skating in 1886, arguing that the narrow blade of a skate generates sufficient localised pressure to melt ice beneath it.

In the early twentieth century, questions emerged about whether pressure alone could explain ice's slipperiness, especially at low temperatures. In the 1930s and 1950s, Frank P. Bowden and David Tabor introduced frictional heating as an alternative mechanism, showing that sliding motion could generate enough heat to produce melt layers, complementing or supplanting pressure-induced effects.

By the late twentieth century, new experimental tools—such as atomic force microscopy, sum-frequency generation spectroscopy, and X-ray scattering—enabled scientists to probe the molecular structure of ice surfaces directly. These studies showed that even in the absence of pressure or friction, the outermost molecular layers of ice are inherently disordered and mobile. Molecular dynamics simulations (MDS) further supported this view, confirming the existence of a quasi-liquid layer driven by the undercoordination of surface molecules.

Together, these historical developments trace a change from macroscopic mechanical theories to microscopic interfacial physics. Ice's slipperiness, once attributed solely to melting, is now understood as the result of an intrinsic, dynamic surface layer whose mobility increases with temperature—an insight that unifies over a century of observation, theory, and experimentation.

Matter exists in distinct organisational forms known as phases. The classical categories—solid, liquid, and gas—are defined by qualitative differences in arrangement and in response to external conditions. In solids, particles maintain fixed relative positions within a repeating spatial pattern. Liquids retain cohesion without rigidity, allowing flow while maintaining volume. Gases exhibit weak intermolecular interactions and expand to fill any container. These phases describe the majority of everyday materials, but others emerge under specialised conditions.

Additional phases include plasmas, which arise when gases are ionised into charged particles, and supercritical fluids, which appear beyond the liquid-gas boundary at high pressure and temperature. At extremely low temperatures, matter can form Bose–Einstein condensates or superfluids, characterised by quantum coherence across macroscopic scales. These states differ not only in arrangement but also in their symmetries, excitations, and thermodynamic behaviour.

Transitions between phases are governed primarily by temperature and pressure. Lower temperatures reduce kinetic energy, allowing intermolecular forces to stabilise ordered configurations. Increasing temperature disrupts this order. Pressure alters the volume

available for molecular motion and can favour or suppress particular interactions. These competing effects generate a phase diagram—a diagrammatic map of stable forms as functions of external conditions. Phase boundaries correspond to discontinuities in structure or derivatives of free energy, typically expressed as latent heat or a change in symmetry.

Water, as a molecular compound, exhibits all three classical phases within common terrestrial conditions. Under atmospheric pressure, it transitions from solid to liquid at 0°C and from liquid to vapour at 100°C. These transition points shift with pressure, enabling supercooled liquid below 0°C and reduced boiling points at high altitude. The phase diagram of water includes a triple point at 0.01°C and 0.006 atmospheres where solid, liquid, and gas coexist, and a critical point at 374°C and 218 atmospheres beyond which liquid and gas become indistinguishable. Water forms more than a dozen crystalline ice phases—Ice II through Ice XIX—many of which are denser than liquid water, contrasting with Ice Ih which floats.

The distinct behaviour of water follows from its molecular geometry and intermolecular interactions. Each H<sub>2</sub>O molecule forms a bent structure with a 104.5° angle between hydrogen atoms, creating an electric dipole with partial negative charge on oxygen and partial positive charges on hydrogens. This polarity permits the formation of hydrogen bonds: directional attractions between the hydrogen of one molecule and the oxygen of another. In the liquid phase, each molecule forms and breaks hydrogen bonds rapidly, producing a transient network. In ice, these interactions become fixed, forming a tetrahedral lattice where each molecule participates in four hydrogen bonds.

Hydrogen bonding accounts for thermodynamic anomalies. Water has a higher melting and boiling point than other molecules of similar mass. Its density peaks at 4°C, then decreases upon freezing. At atmospheric pressure, the stable crystalline form is Ice Ih, adopting a hexagonal lattice with each molecule coordinated to four others at tetrahedral angles. This open configuration contains void space, producing a density lower than liquid water. Freezing thus involves expansion rather than contraction, allowing ice to float.

Ice Ih exhibits macroscopic properties consistent with its lattice. It is brittle, cleaving along crystallographic planes. Its thermal conductivity is moderate, mediated by phonons in the ordered lattice. It is optically transparent in the visible spectrum, though scattering increases with impurities or polycrystallinity. Ice Ih remains the dominant form in terrestrial and atmospheric environments.

Beyond crystalline forms, water also forms amorphous ice—a glassy solid lacking long-range order. Produced by rapid cooling or vapour deposition at temperatures below 130 K, amorphous ice is the predominant form of water in interstellar space and on cometary surfaces. On Earth, it exists transiently in the upper atmosphere and can be created in laboratories. Unlike crystalline ice, amorphous ice lacks the organised hydrogen-bond network that creates the open configuration of Ice Ih.

One early hypothesis to explain ice's low friction was pressure melting. According to this view, localised pressure—such as from a skate blade—lowers the melting point beneath the contact area, producing a thin film of liquid water. This film then acts as a lubricant.

The mechanism is thermodynamically valid near 0°C and relies on the Clausius–Clapeyron relation (Clausius, 1850), which predicts a decrease in melting point with pressure.

A second hypothesis emphasises frictional heating. As an object slides across ice, mechanical work is converted into heat at the contact interface. Because ice is a poor conductor, this heat remains localised, potentially melting the surface. This model accounts for enhanced slipperiness during rapid motion and is consistent with high-speed sports where continuous sliding sustains the melt layer.

Both explanations fail under static or slow-motion conditions. The pressure needed to depress the melting point by 1°C is about 13 MPa, so typical skate contact pressures of only a few MPa yield at most a few tenths of a degree—insufficient on their own at low temperatures. Frictional heating is minimal at low velocities and cannot explain the ease with which stationary objects begin to slide. Experiments show that ice remains slippery at temperatures and pressures where neither mechanism is operative.

The resolution lies at ice's surface. Even in the absence of external inputs, a thin, mobile layer of disordered molecules exists at the ice-air boundary. This quasi-liquid layer (QLL) is not a bulk liquid, nor a perfect continuation of the crystalline lattice. It consists of molecules that lack sufficient bonding partners and thus vibrate with greater amplitude and positional freedom.

Surface undercoordination breaks the tetrahedral symmetry found in the bulk. Molecules at the boundary form fewer than four hydrogen bonds, creating a dynamic layer with reduced rigidity. Although confined to nanometric thickness, this layer allows shearing with minimal resistance. The QLL persists even at temperatures as low as -20°C, though its thickness and mobility vary with temperature. As the surface warms, more molecules enter the disordered state and the layer thickens, decreasing friction.

Ice exhibits minimum friction not at 0°C but at intermediate subzero temperatures. At 0°C, the bulk ice softens and becomes susceptible to ploughing deformation under load. This increases drag and offsets the benefits of surface lubrication. Between -5°C and -10°C, depending on sliding velocity and contact pressure, the QLL remains mobile while the underlying ice retains sufficient hardness to resist deformation. For typical skating conditions, minimum friction occurs near -7°C, though faster sliding or heavier loads shift this optimum.

Atomic force microscopy confirms nanometric compliance at the ice surface. Sum-frequency generation spectroscopy detects disrupted hydrogen bonding at the interface. The QLL arises from the geometry and thermodynamics of the boundary, not from transient melting.

Molecular dynamics simulations complicate this picture. During sliding, the QLL is overwhelmed within the first few nanometres by a different process: cold, displacement-driven amorphization. Lateral displacement at the contact destroys crystalline order molecule by molecule, producing an amorphous layer whose thickness grows as  $w \propto \sqrt{d}$ —the same square-root scaling observed in diamond and silicon wear. At 10 K, ice amorphizes six times faster than at -10°C. The process is mechanical, not thermal. The difficulty of skiing at low temperatures is not a lack of interfacial water but the high viscosity of the amorphous layer that forms.

Low friction also requires a hydrophobic counterface: a hydrophilic surface doubles the friction coefficient with an identical water film, because adhesion-enhanced dissipation at contact edges dominates. Ice slipperiness depends on the interplay of intrinsic surface disorder, displacement-driven amorphization, frictional heating, counterface chemistry, and contact geometry.

### *The Ice Cube Berg*

A common objection to climate concern goes like this: an ice cube melting in a glass doesn't raise the water level, so why should melting polar ice raise sea levels? The reasoning seems sound. Archimedes established that floating ice displaces (Archimedes, c. 250 BCE) its own weight in water. Ice is roughly 9% less dense than liquid water, so it floats with about 90% submerged. When it melts, the resulting liquid occupies almost exactly the volume previously displaced. The person making this argument has correctly understood buoyancy.

Yet, only some ice affects sea level.

Sea ice—the Arctic ice cap, icebergs calved from glaciers, ice shelves extending from Antarctica—is already floating. When it melts, the direct contribution to sea level is indeed minimal. There is a small effect: sea ice forms from freshwater (salt is excluded during freezing), but it floats in saltwater. Freshwater is less dense than saltwater, so when the ice melts, the freshwater occupies slightly more volume than the saltwater it was displacing. This effect exists but remains small compared to what follows.

The Greenland ice sheet sits on land. So does the Antarctic ice sheet. So do mountain glaciers across the Himalayas, Andes, Alps, and Rockies. These formations are not floating. They rest on bedrock, supported by solid ground, contributing nothing to current ocean volume. When this ice melts, the water flows into rivers and eventually into the sea. This is not an ice cube melting in a glass. This is ice from outside the glass being poured into it.

The scales are staggering. The Greenland ice sheet contains enough water to raise global sea levels by 7.4 metres. The Antarctic ice sheet holds enough for 58 metres. Even a few percent loss would displace hundreds of millions of people from coastal cities. This is not speculative. Greenland is currently losing roughly 280 billion tons of ice per year. Antarctica loses about 150 billion tons annually. These are measured quantities, tracked by satellite gravimetry and radar altimetry.

Roughly 68% of Earth's freshwater is locked in ice sheets and glaciers on land. Most of that sits on Antarctica and Greenland. As global temperatures rise, this ice transitions from solid to liquid and enters the ocean, increasing total volume.

Thermal expansion contributes as well. Water expands as it warms. Between 1993 and 2019, thermal expansion accounted for roughly 40% of observed sea level rise, with melting land ice contributing most of the remainder. The two mechanisms are additive.

## Phases of Matter

### Classical States

#### Solid

Atoms in fixed lattice positions. Definite shape and volume.

#### Liquid

Short-range order permits flow. Fixed volume, variable shape.

#### Gas

Weak intermolecular forces. Fills available volume.

#### Plasma

Ionised particles. Collective electromagnetic behaviour.

### Quantum Phases

#### Bose–Einstein Condensate (Einstein, 1925)

Bosons in single quantum state below  $\mu\text{K}$ .

#### Fermionic Condensate

Cooper-paired fermions at ultralow temperature.

#### Superfluid

Zero viscosity. He-4 below 2.17 K, He-3 below 2.6 mK.

#### Superconductor

Zero electrical resistance, magnetic flux expulsion (Meissner & Ochsenfeld, 1933).

#### Quantum Spin Liquid

Frustrated magnetism, long-range entanglement.

#### Topological Matter

Global invariants define phase (quantum Hall, topological insulators).

### Intermediate Forms

#### Liquid Crystal

Orientational order with fluidity. Nematic, smectic, cholesteric phases.

#### Glass

Amorphous solid. Kinetically arrested liquid structure.

#### Gel

Crosslinked network in fluid. Viscoelastic response.

#### Granular Matter

Macroscopic particles. Jamming transitions.

### Extreme Conditions

#### Quark–Gluon Plasma

Deconfined quarks above 2 trillion K.

#### Degenerate Matter

Quantum pressure dominates. White dwarfs (electrons), neutron stars.

#### Supersolid

Crystalline order with superflow. Realised in ultracold atoms.

#### Time Crystal

Periodic structure in time. Driven quantum systems.

#### Rydberg Matter

Highly excited atomic states. Millimetre-scale electron orbits.

Matter organises into distinct phases determined by temperature, pressure, and quantum mechanics. Each phase exhibits characteristic symmetries, excitations, and responses to external conditions.

## Origins of Ice Slipperiness

### Surface Premelting and Quasi-Liquid Layer Formation

A quasi-liquid layer (QLL) forms on ice when the solid–vapour interfacial energy exceeds the combined solid–liquid and liquid–vapour energies. Let  $\gamma_{sv}$ ,  $\gamma_{sl}$ , and  $\gamma_{lv}$  denote these interfacial energies, respectively. The criterion for spontaneous surface disordering is:

$$\gamma_{sv} > \gamma_{sl} + \gamma_{lv}.$$

This lowers the Gibbs free energy ( $G$ ) and drives disordered layer formation. Surface molecules are undercoordinated, forming fewer hydrogen bonds and possessing higher vibrational entropy. The QLL exhibits molecular mobility without full phase change.

### Frictional Heating and Velocity-Dependent Melt Film Generation

Frictional sliding converts mechanical work to interface heat. Heat generation rate:  $P_{\text{fric}} = \mu F_N v$ , where  $\mu$  is kinetic friction coefficient,  $F_N$  is normal load, and  $v$  is sliding velocity. For high  $v$ , generated heat exceeds thermal dissipation, raising interface temperature and potentially inducing melt layers below bulk melting point  $T_m$ . This dynamic meltwater film can exceed equilibrium QLL thickness and reduce shear resistance.

### QLL Rheology and Shear Lubrication

QLL or meltwater lubrication depends on rheological response. Let  $\eta(T, \dot{\gamma})$  denote the effective viscosity (units: Pa·s), where  $T$  is temperature and  $\dot{\gamma}$  is shear rate. In confined geometries, viscosity deviates from bulk water and may exhibit non-Newtonian behaviour. The shear stress  $\tau = \eta \dot{\gamma}$  determines frictional resistance. Enhanced molecular mobility near  $T_m$  yields lower  $\eta$  and reduced  $\tau$  under shear, enabling efficient nanometric lubrication.

### Thickness Divergence and Interfacial Scaling Laws

As temperature approaches the melting point, QLL thickness  $d(T)$  increases following:

$$d(T) \sim (1 - T/T_m)^{-\alpha}, \quad \alpha \in [0.3, 0.5],$$

where  $\alpha$  is a critical exponent. This reflects gradual surface disordering and successive molecular layer formation. Ellipsometry and vibrational spectroscopy confirm this scaling; simulations support entropic and energetic growth origins.

### Pressure Effects and Contact Mechanics

The Clausius–Clapeyron relation governs melting point depression under pressure:  $dT/dp = T\Delta V/\Delta H$ , where  $\Delta V < 0$  is the volume change upon melting and  $\Delta H$  is the latent heat of fusion. For macroscopic loads (e.g., skates), the average pressure-induced melting-point shift is small, typically less than 1°C under realistic loads. Local pressure at asperities—real contact points within the nominal contact area—can be much higher. These localised hotspots drive frictional heating and melting. Real contact area controls heat distribution and deformation.

### Composite Friction Model: Thermo-Mechanical Coupling

In the lubricated regime, friction reduces to viscous shear across the interfacial film:

$$\mu \approx \eta(T) v / (p \cdot h(T, v)),$$

where  $\eta(T)$  is the film viscosity,  $p$  the contact pressure, and  $h(T, v)$  the lubricating layer thickness—set by the equilibrium QLL and any frictional melt. As  $T \rightarrow T_m$ ,  $h$  grows (from the scaling above) and  $\eta$  drops, reducing  $\mu$ . At low  $T$  or  $v$ ,  $h$  is thin and friction is high. Near  $T_m$ , ice softens and the slider ploughs into the surface. The minimum  $\mu$  near  $-7^\circ\text{C}$  reflects the balance: the film is thick enough to lubricate, but the ice is stiff enough to resist penetration. Molecular dynamics simulations (Atila et al., 2024) suggest that during sliding, displacement-driven amorphization—not melting—produces the dominant lubricating layer, with thickness scaling as  $w \propto \sqrt{d}$  where  $d$  is the slid distance.

### References:

- Slater, B., and Michaelides, A. (2019). *Nat. Rev. Chem.*, **3**, 172.  
 Weber, B. et al. (2018). *J. Phys. Chem. Lett.*, **9**, 2838.  
 Atila, A., Sukhomlinov, S. V., and Müser, M. H. (2024). *Phys. Rev. Lett.*, **133**, 236201.

